

Electrostatics Notes

1 – Charges and Coulomb's Law

Ancient Greeks discovered that if amber (fossilized sap) is rubbed it will attract small objects. This is similar to when you run a comb through your hair...it will then attract bits of lint or dust. WHY?!?

Clearly this attraction is due to some FORCE at work. In this case it is electrostatic force which exists between electrically charged objects.

Conductors are materials that...*allow electrons to flow.*

Insulators are materials that...*impede electron flow.*

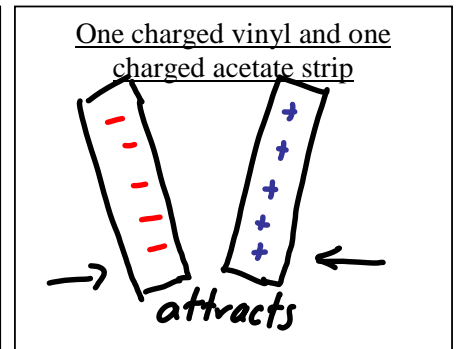
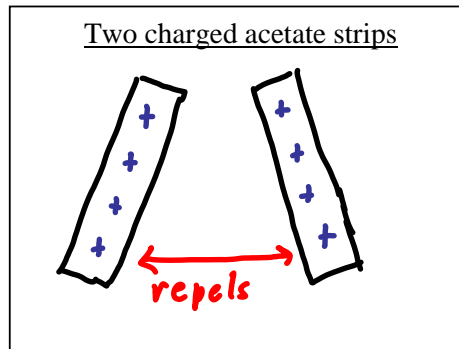
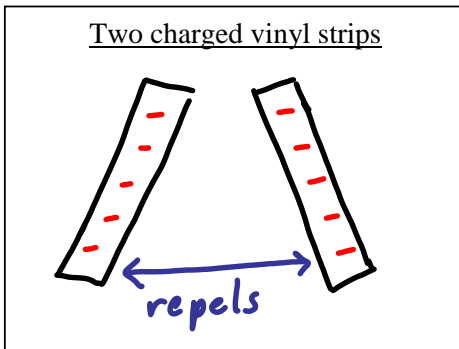
A negative charge is caused by...*an excess of electrons.*

A positive charge is caused by...*a lack of electrons.*

It is possible to build up a charge on insulators because electrons cannot...

easily flow off of (-) or onto (+) an insulator.

When a vinyl strip is rubbed with fur or wool the rod gains an excess of electrons and therefore is negative. If an acetate strip is rubbed with silk then it will lose electrons and become positive.



The Law of Charges states:

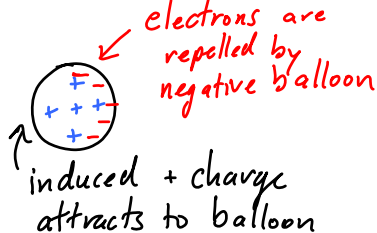
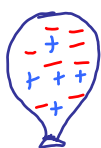
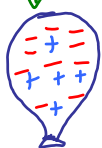
- (1) *Like charges repel.*
- (2) *Opposite charges attract.*
- (3) *Neutral charges are attracted to charged (+ or -) objects.*

But what about that so-called amber effect? Why are seemingly uncharged objects attracted to charged amber (or combs for that matter)?

It has to do with something called... **INDUCTION!**

charged with
extra electrons

Consider a rubber balloon that has been rubbed on someone's hair and a tin can.



Note that the electrons on the can...are able to move freely so that as the can rolls a + charge always faces the balloon.

Other examples of electrostatic charges in everyday life include:

- (1) Rubbing your feet on the carpet then touching a door knob.
- (2) Jumping on a trampoline then stepping on the metal rail.
- (3) When you pull your clothes out of the dryer, the sock sticks to your sweater.

Ok enough playing around, where's the formulas?!?

Coulomb determined that the force between two charged objects is proportional to their charges and inversely proportional to the square of their distances or:

$$F_E = \frac{kq_1q_2}{r^2}$$

Where:

q_1 = 1st charge, in Coulombs (C)
 q_2 = 2nd charge, " " "
 r = distance between charges
 k = Coulomb's Constant
= $9.0 \times 10^9 \text{ N} \cdot \frac{\text{m}^2}{\text{C}^2}$

There are two important things to notice from this equation.

First, this equation is quite similar to...universal gravitation

$$F_g = \frac{Gm_1m_2}{r^2}$$

Second, electrostatic forces are much stronger than gravitational forces.

$$G = 6.67 \times 10^{-11} \text{ N} \cdot \frac{\text{m}^2}{\text{kg}^2} \quad \text{whereas} \quad k = 9.0 \times 10^9 \text{ N} \cdot \frac{\text{m}^2}{\text{C}^2}$$

There is a very important difference between gravitational and electrostatic forces:

Gravity ALWAYS...attracts

Electrostatic force can...attract or repels

When solving for electrostatic forces we will NOT...use +/- signs of charges
even though force is a vector.

Instead we will determine the direction of the force based on...

whether it is an attraction or repulsion

Example:

Two 85 kg students are 1.0 m apart. What is the gravitational force between them?

$$F_g = \frac{G m_1 m_2}{r^2} = \frac{(6.67 \times 10^{-11})(85)(85)}{(1.0)^2}$$

$$= 4.82 \times 10^{-7} \text{ N}$$

If these two students each have a charge of 2.0×10^{-3} C, what is the electrostatic force between them?

$$F_E = \frac{k q_1 q_2}{r^2} = \frac{(9.0 \times 10^9)(2.0 \times 10^{-3})(2.0 \times 10^{-3})}{(1.0)^2}$$

$$= \underline{36000 \text{ N}}$$

Example:

Two point charges of 1.8×10^{-6} C and 2.4×10^{-6} C produce a force of 2.2×10^{-3} N on each other. How far apart are these two charges?

$$F_E = \frac{k q_1 q_2}{r^2}$$

$$r = \sqrt{\frac{k q_1 q_2}{F_E}}$$

$$= \sqrt{\frac{(9.0 \times 10^9)(1.8 \times 10^{-6})(2.4 \times 10^{-6})}{(2.2 \times 10^{-3})}}$$

$$= \underline{4.2 \text{ m}}$$

Example:

A charge of 1.7×10^{-6} C is placed 2.0×10^{-2} m from a charge of 2.5×10^{-6} C and 3.5×10^{-2} m from a charge of -2.0×10^{-6} C as shown.



Since A+B are positive they repel

since A+C are opposite they attract

What is the net electric force on the 1.7×10^{-6} charge?

Winner - Loser

$$F_{\text{net}} = F_{AB} - F_{AC}$$

$$= \frac{k q_A q_B}{r_{AB}^2} - \frac{k q_A q_C}{r_{AC}^2}$$

$$= \frac{(9.0 \times 10^9)(1.7 \times 10^{-6})(2.5 \times 10^{-6})}{(2.0 \times 10^{-2})^2} - \frac{(9.0 \times 10^9)(1.7 \times 10^{-6})(2.0 \times 10^{-6})}{(3.5 \times 10^{-2})^2}$$

$$= \underline{\underline{71 \text{ N}}}$$

don't use negative sign !!!